

## Membrane Separations

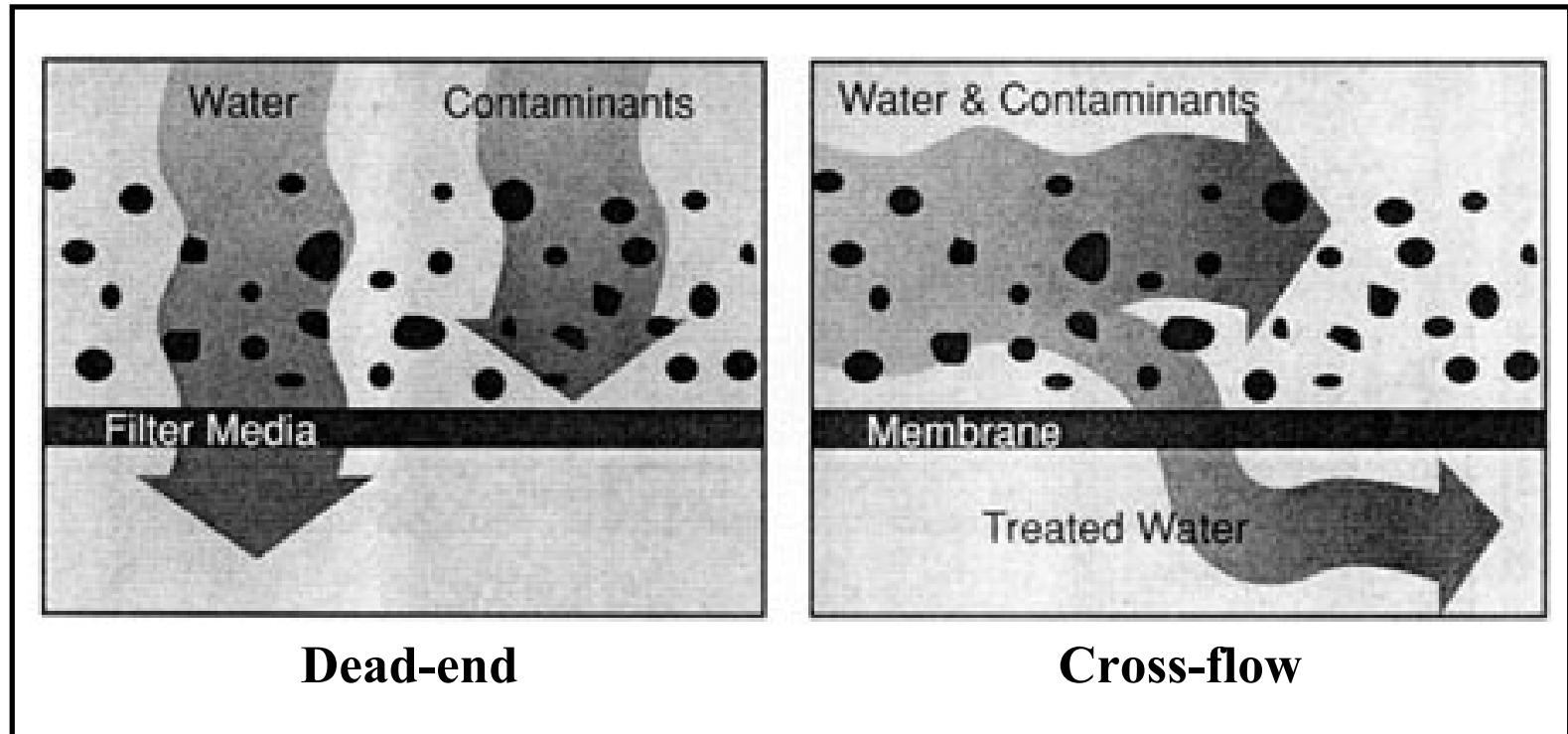
- There are other separation operations where a membrane is the responsible of the la selective separation of the compounds:

- Dialysis.
- Electrolysis (ED).
- Pervaporation.
- Gas permeation (GP).
- Liquid membranes.

- In others, the membrane is not directly responsible for the separation but it actively participates:

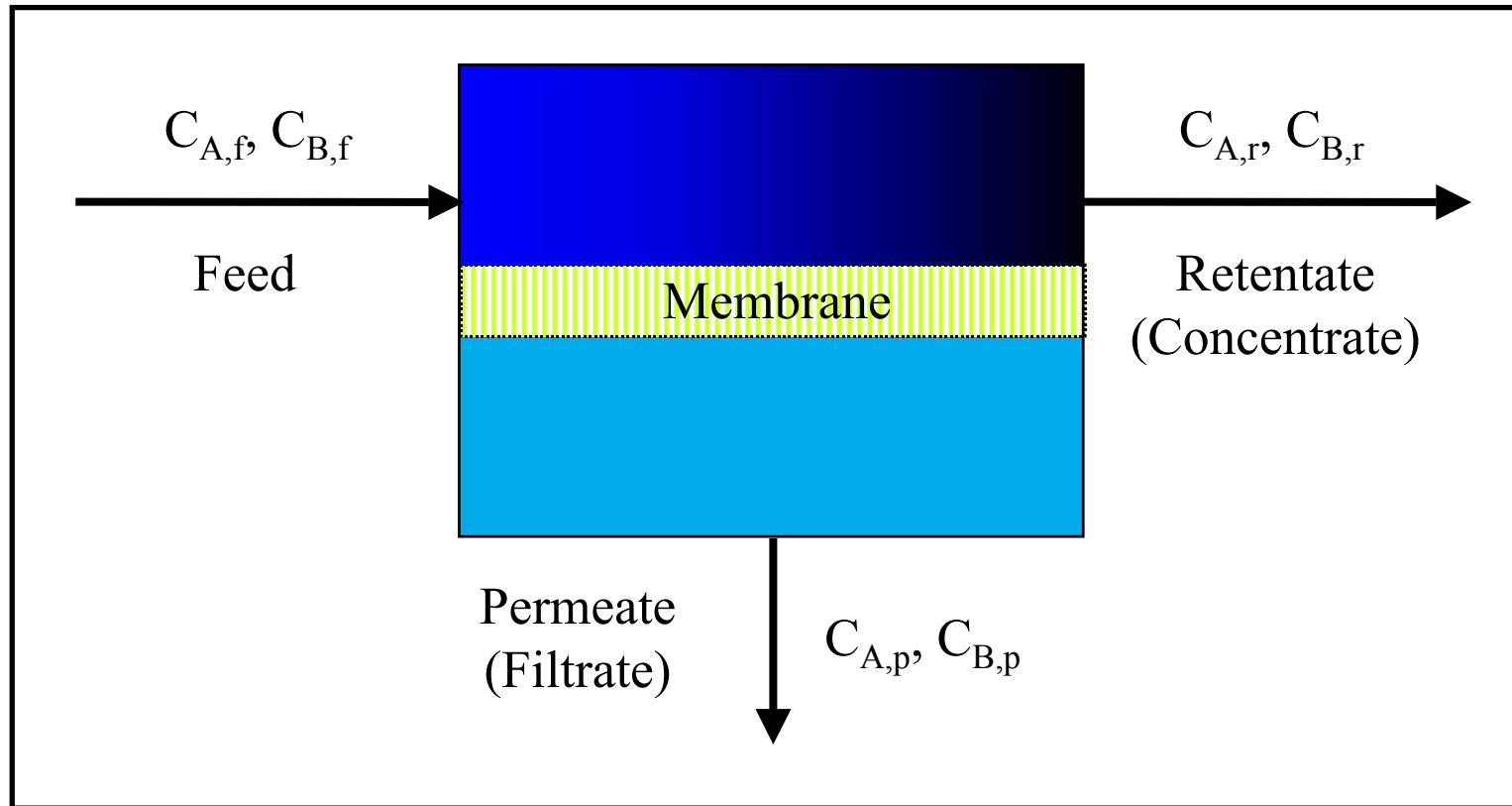
- Membrane extraction.
- Membrane distillation.
- Osmotic distillation.

## Membrane Separations



**Type of filtration.**

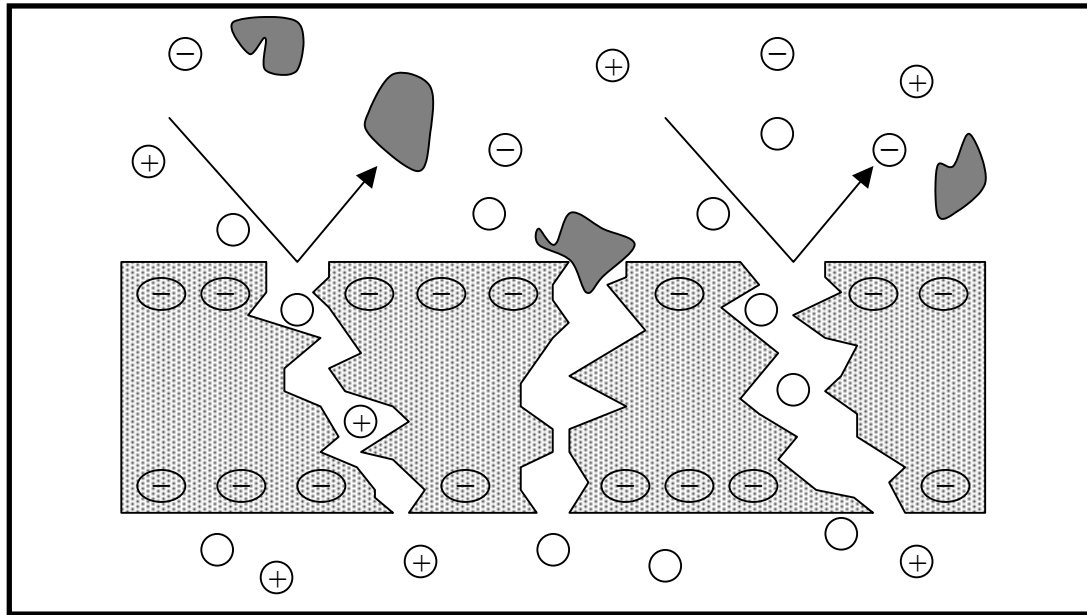
## Membrane Separations



**Simple scheme of a membrane module.**

## Membrane Separations

- Synthetic membranes are solid barriers that allow preferentially to pass specific compounds due to some driving force.



**(Very) Simple scheme for some mechanisms of selective separation on a porous membrane.**

## Membrane Separations

- The separation ability of a synthetic material depends on its physical, chemical properties.
  - Pore size and structure
  - Design
  - Chemical characteristics
  - Electrical charge

## Membrane Separations

- The membranes can be roughly divided in two main groups: porous and non porous.
- Porous membranes give separation due to...
  - size
  - shape
  - charge...of the species.
- Non porous membranes give separation due to...
  - selective adsorption
  - diffusion...of the species.

## Membrane Separations

### Main parameters.

- Rejection, R, if there is just one component (RO)

$$R(\%) = 100 \cdot \left( \frac{C_{A,f} - C_{A,p}}{C_{A,f}} \right) = 100 \cdot \left( 1 - \frac{C_{A,p}}{C_{A,f}} \right)$$

- Separation factor

- Enrichment factor

$$\alpha_{A,B} = \frac{C_{A,p}/C_{B,p}}{C_{A,f}/C_{B,f}} = \frac{\beta_A}{\beta_B}$$

$$\beta_A = \frac{C_{A,p}}{C_{A,f}}$$

for two or more component

## Membrane Separations

### Main parameters.

- In RO, often we use the Recovery (Y)

$$Y(\%) = \frac{Q_p}{Q_f} \cdot 100$$

$Q_p$ : Permeate flowrate ( $\text{m}^3/\text{s}$ )

$Q_f$ : Feed flowrate ( $\text{m}^3/\text{s}$ )



## Membrane Separations

### Main parameters.

- Passive transport in membranes. The permeate flux is proportional to a given driving force (some difference in a property).

$$\text{Flux}(J) = \text{Constant}(A) \cdot$$

$$\cdot \text{Driving Force}(X)$$

Driving forces:

- Pressure (total or partial)
- Concentration
- Electric Potential

## Membrane Separations

### Main parameters.

Membrane processes and driving force.

<b>Process</b>	<b>Feed phase</b>	<b>Permeate phase</b>	<b>Driving Force</b>
Microfiltration	L	L	$\Delta P$
Ultrafiltration	L	L	$\Delta P$
Nanofiltration	L	L	$\Delta P$
Reverse Osmosis	L	L	$\Delta P$
Dialysis	L	L	$\Delta c$
Electrodialysis	L	L	$\Delta E$
Pervaporation	L	G	$\Delta P$
Gas Permeation	G	G	$\Delta P$

## Membrane Separations

### Main parameters.

- Permeate flux.

In MF and UF, porous membrane model is assumed, where the a stream freely flows through the pore. Then, the transport law follows the Hagen-Poiseuille equation.

$$J_w = \frac{Q_w}{A_m} = \frac{\varepsilon \cdot r^2}{8 \cdot \mu \cdot \tau} \cdot \frac{\Delta P}{d}$$

$J_w$ : Solvent flux ( $\text{m}^3/\text{s} \cdot \text{m}^2$ )

$Q_w$ : Solvent flowrate ( $\text{m}^3/\text{s}$ )

$A_m$ : Membrane area ( $\text{m}^2$ )

$d$ : Membrane thickness (m)

$\mu$ : Viscosity ( $\text{Pa} \cdot \text{s}$ )

$\Delta P$ : Hydraulic pressure difference (Pa)

$r$ : Pore radius (m)

$\varepsilon$ : Porosity

$\tau$ : Tortuosity

## Membrane Separations

### Main parameters.

- The above model is good for cylindrical pores. However, if the membrane is rather formed by a aggregated particles, then the Kozeny-Carman relation works much better.

$$J_w = \frac{Q_w}{A_m} = \frac{\varepsilon^3}{K \cdot \mu \cdot S^2 \cdot (1-\varepsilon)^2} \cdot \frac{\Delta P}{d}$$

$J_w$ : Solvent flux ( $\text{m}^3/\text{s} \cdot \text{m}^2$ )

$Q_w$ : Solvent flowrate ( $\text{m}^3/\text{s}$ )

$S$ : Particle surface area ( $\text{m}^2/\text{m}^3$ )

$K$ : Kozeny-Carman constant

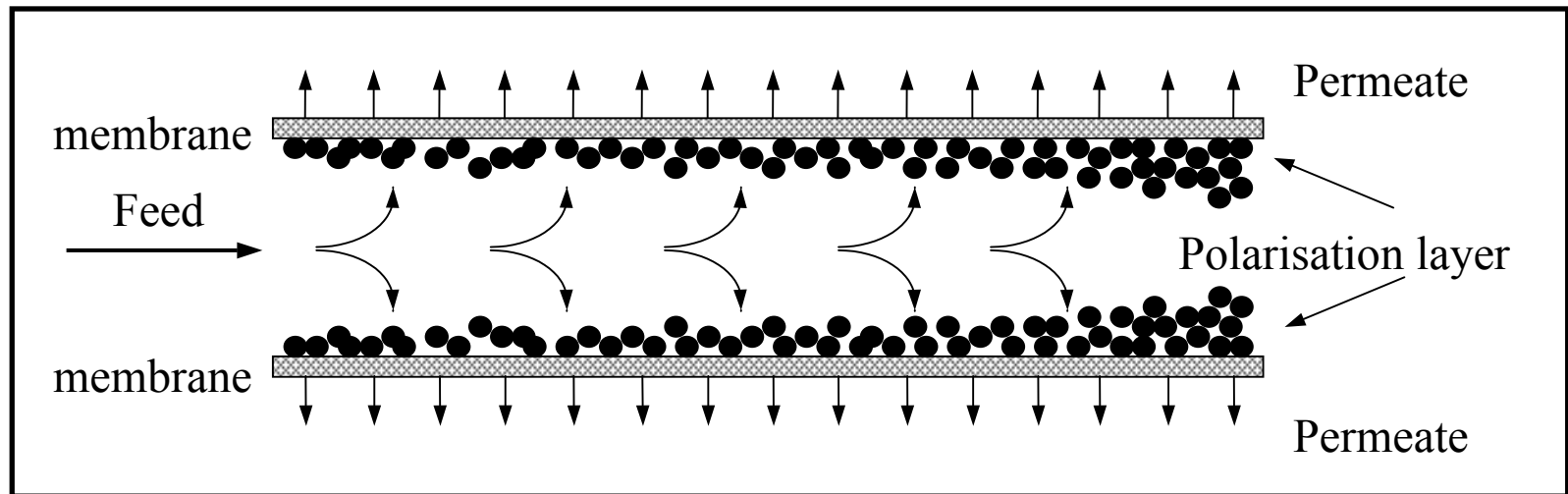
$A_m$ : Membrane area ( $\text{m}^2$ )

$d$ : Membrane thickness (m)

$\mu$ : Viscosity ( $\text{Pa} \cdot \text{s}$ )

## Membrane Separations

- In the operations governed by the pressure, a phenomenon called concentration polarisation appears, which must be carefully controlled. This is due to the solute accumulation neighbouring the membrane surface.

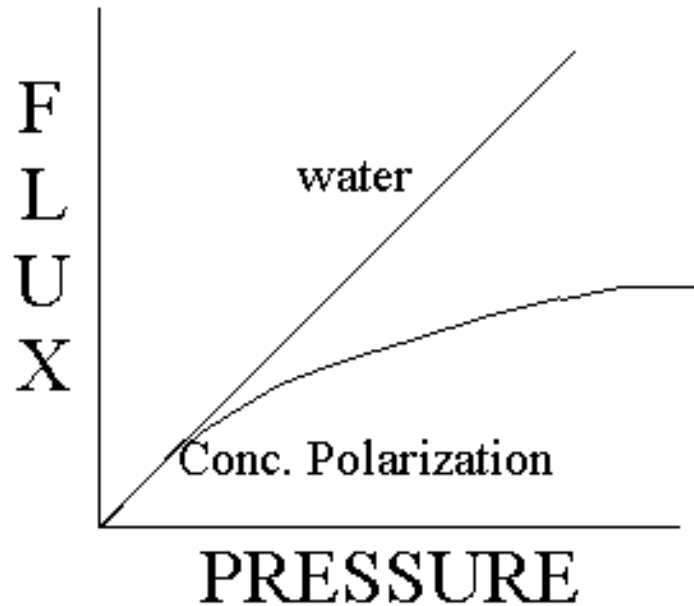


**Formation of the polarisation layer.**

## Membrane Separations

- Concentration polarisation.

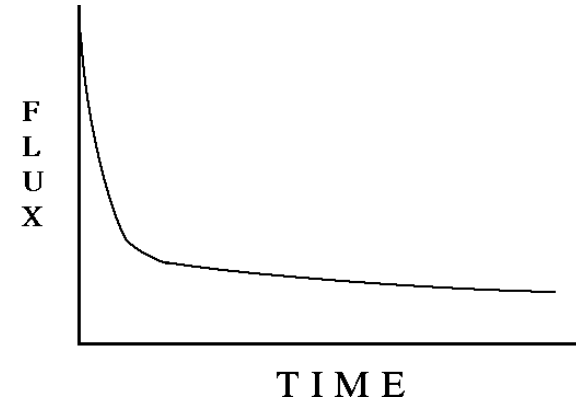
### Flux vs. Pressure



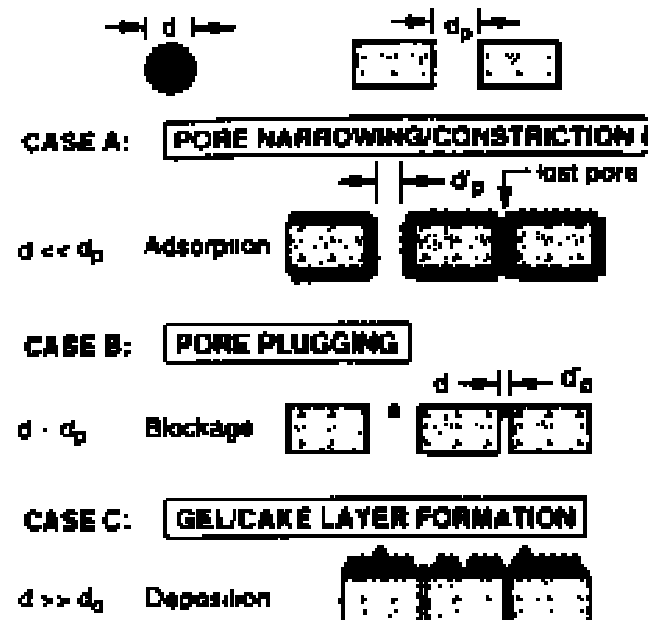
(It is not fouling!!!)

# Membrane Separations

- Fouling: Irreversible reduction of the flux throughout the time.
- Pore size reduction by irreversible adsorption of compounds.
- Pore plugging.
- Formation of a gel layer over the membrane surface (cake).



## FOULING SCHEMATICS



## Membrane Separations

- Membrane can be classified in several ways, but always there are arbitrary classifications.

- Structure: symmetric, asymmetric
- Configuration: flat, tubular, hollow fiber
- Material: organic, inorganic
- Surface charge: positive, negative, neutral
- ...and even other divisions and subdivisions

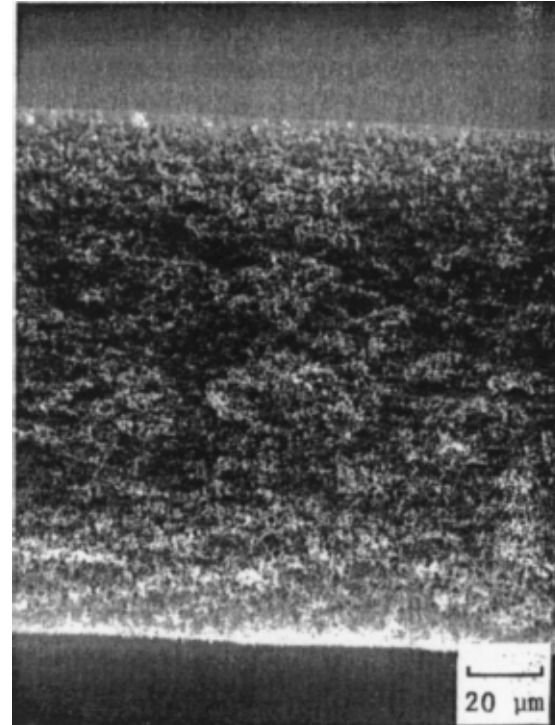
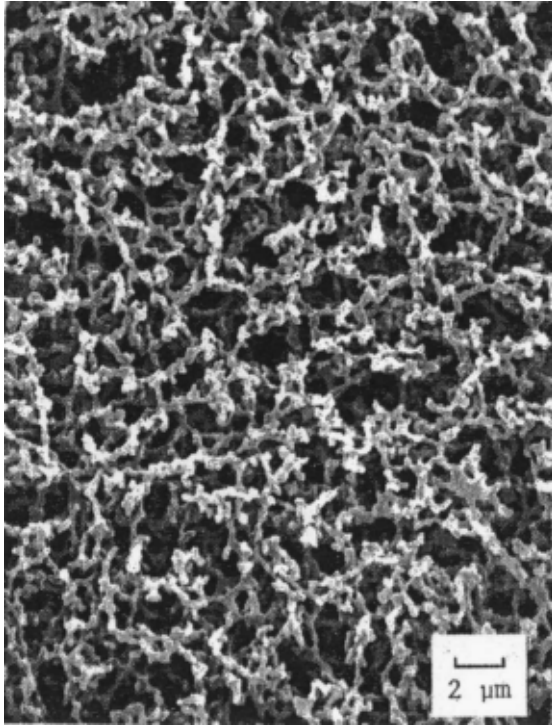


## Membrane Separations

### - Structure:

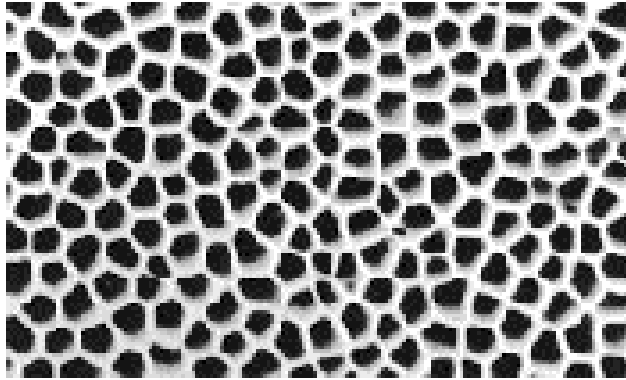
- Symmetric. Also called homogeneous. A cross section shows a uniform porous structure.
- Asymmetric. In a cross section, one can see two different structures, a thin dense layer and below a porous support layer.
  - Integral: the layers are continuous.
  - Composites: the active layer (thickness 0.1-0.5  $\mu\text{m}$ ) is supported over a highly porous layer (50-150  $\mu\text{m}$ ), sometimes both layers are of different materials.

## Membrane Separations

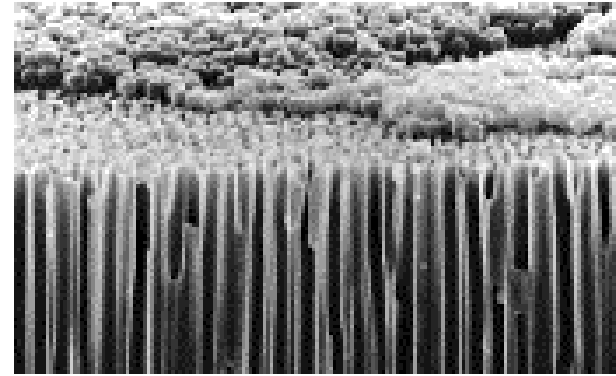


Symmetric UF membrane of 0.45 μm made of cellulose acetate (Millipore).

## Membrane Separations



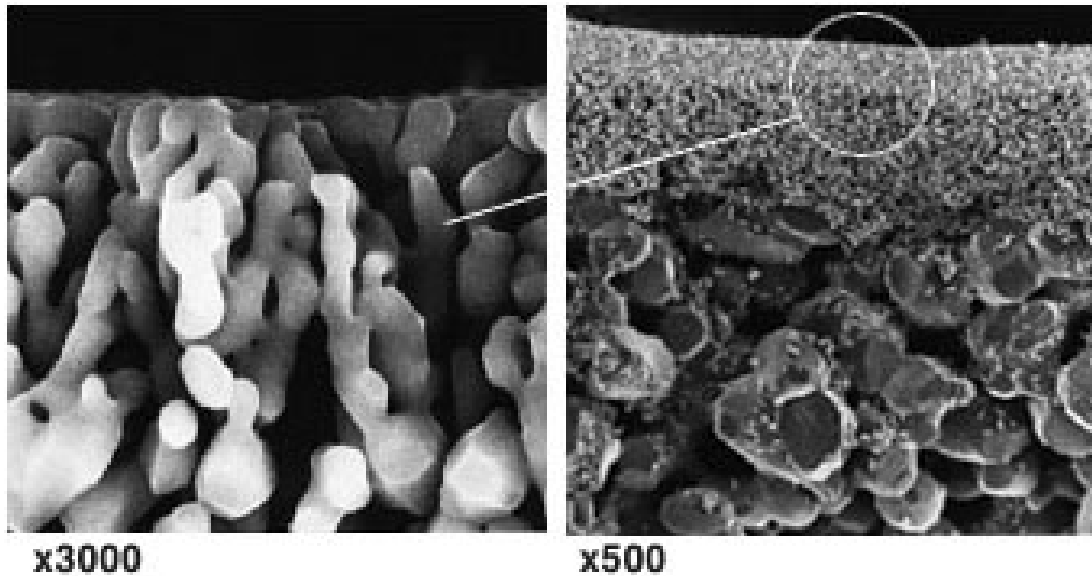
**Surface**



**Cross section**

Symmetric ceramic membrane of 0.2  $\mu\text{m}$  made of alumina ( $\text{Al}_2\text{O}_3$ ) (Anopore<sup>TM</sup>).

## Membrane Separations



Asymmetric ceramic membrane made of  $\gamma\text{-Al}_2\text{O}_3$  (Membralox).

